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Promethean Board



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Period 2 - Pre-Algebra

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1. Fill in planner
2. Check 8.7 Exercises
3. 8.8 notes discussion and Exercises Pp.434-435
4. Homework: More 8.8 Exercises and Pp.442-445 #6-26 evens

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**Period 7 - Pre-Algebra**

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## 8.7 Exercises #13, 15, 21, & 27

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Let  $f(x) = -3x + 1$  and  $g(x) = 10x - 4$ . Find the indicated value.

13.  $x$  when  $f(x) = -17$  **6**

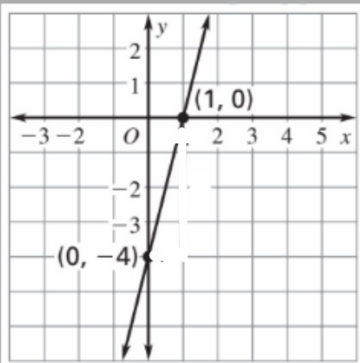
$$\begin{array}{r} -17 = -3x + 1 \\ -1 \quad \quad -1 \\ \hline -18 = -3x \\ -3 \quad \quad -3 \\ \hline 6 = x \end{array}$$

15.  $f(-20)$  **61**

$$\begin{aligned} f(-20) &= -3(-20) + 1 \\ &= 60 + 1 \\ &= \boxed{61} \end{aligned}$$

Graph the function.

21.  $g(x) = 4x - 4$



Write a linear function that satisfies the given conditions.

27.  $r(-9) = -7, r(0) = -1$   
 $r(x) = \frac{2}{3}x - 1$

$$\begin{aligned} &(-9, -7) + (0, -1) \\ &\frac{-1 - (-7)}{0 - (-9)} = \frac{6 \div 3}{9 \div 3} = \frac{2}{3} = m \end{aligned}$$

$r(x) = \frac{2}{3}x - 1$

A **system of linear equations**, or simply a *linear system*, consists of two or more linear equations with the same variables. Below is an example.

$$y = 2x - 4 \quad \text{Equation 1}$$

$$y = -3x + 1 \quad \text{Equation 2}$$

A **solution of a linear system** in two variables is an ordered pair that is a solution of each equation in the system. A linear system has a solution at each point where the graphs of the equations in the system intersect.

### Example 1

### Solving a System of Linear Equations

Solve the linear system:  $y = 2x - 4$  \* Equation 1  
 $y = -3x + 1$  \* Equation 2

- 1) Graph the equations.
- 2) Identify the apparent intersection point,  $(1, -2)$ .
- 3) Verify that  $(1, -2)$  is the solution of the system by substituting 1 for  $x$  and  $-2$  for  $y$  in each equation.

**Equation 1**

$$y = 2x - 4$$

$$-2 \stackrel{?}{=} 2(1) - 4$$

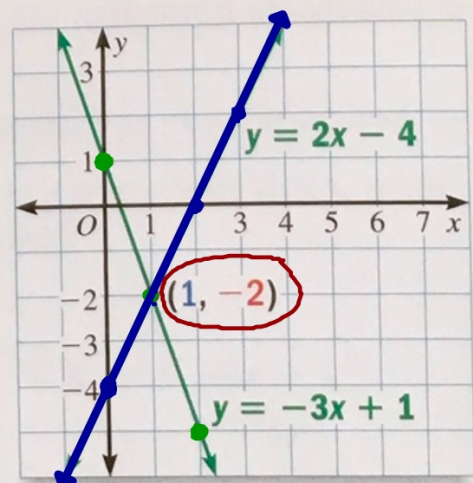
$$-2 = -2 \checkmark$$

**Equation 2**

$$y = -3x + 1$$

$$-2 \stackrel{?}{=} -3(1) + 1$$

$$-2 = -2 \checkmark$$



**Answer** The solution is  $(1, -2)$ .

**Numbers of Solutions** As you saw in Example 1, when the graphs of two linear equations have exactly one point of intersection, the related system has exactly one solution. It is also possible for a linear system to have no solution or infinitely many solutions.

### Example 2

### Solving a Linear System with No Solution

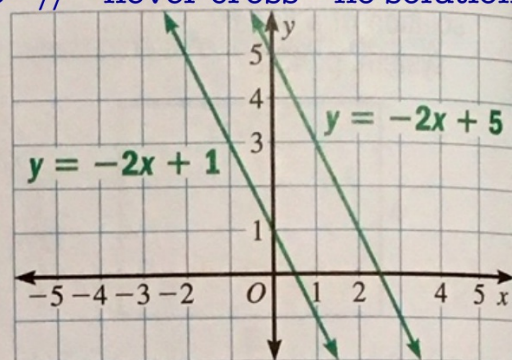
Solve the linear system:  $y = -2x + 1$  Equation 1

$y = -2x + 5$  Equation 2

- same slope = // = never cross = no solution

Graph the equations. The graphs appear to be parallel lines. You can confirm that the lines are parallel by observing from their equations that they have the same slope,  $-2$ , but different  $y$ -intercepts,  $1$  and  $5$ .

**Answer** Because parallel lines do not intersect, the linear system has no solution.



**Example 3****Solving a Linear System with Many Solutions**

Solve the linear system:  $2x - y = -3$       Equation 1  
 $-4x + 2y = 6$       Equation 2

Write each equation in slope-intercept form.

**Equation 1**

$$2x - y = -3$$

$$\begin{aligned} -1y &= -2x - 3 \\ -1y &= -2x - 3 \\ y &= 2x + 3 \end{aligned}$$

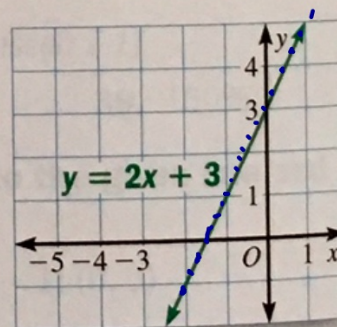
**Equation 2**

$$-4x + 2y = 6$$

$$2y = 4x + 6$$

$$y = 2x + 3$$

The slope-intercept forms of equations 1 and 2 are identical, so the graphs of the equations are the same line (shown at the right).



**Answer** Because the graphs have infinitely many points of intersection, the system has infinitely many solutions. Any point on the line  $y = 2x + 3$  represents a solution.

- exact same equations = same line = IMS

**Example 4****Writing and Solving a Linear System**

A company offers two plans for high-speed Internet service, as described on page 431.

**Plan A:** You pay \$200 for the modem and \$30 per month for service.

**Plan B:** The modem is free and you pay \$40 per month for service.

- After how many months are the total costs of the plans the same?
- When is plan A a better deal? When is plan B a better deal?

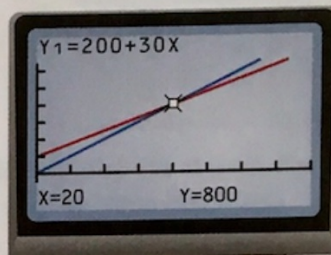
**Solution**

- Let  $y$  be the cost of each plan after  $x$  months. Write a linear system.

**Plan A:**  $y = 200 + 30x$

**Plan B:**  $y = 40x$

Use a graphing calculator to graph the equations. Trace along one of the graphs until the cursor is on the point of intersection. This point is  $(20, 800)$ .



**Answer** The total costs of the plans are the same after 20 months, when each plan costs \$800.

- The graph for plan A lies below the graph for plan B when  $x > 20$ , so plan A costs less if you have service for more than 20 months. The graph for plan B lies below the graph for plan A when  $x < 20$ , so plan B costs less if you have service for less than 20 months.



8.8 Exercises Pp.434-435

Tell whether the ordered pair is a solution of the linear system.

8.  $(4, 2)$ ;

$$y = -5x + 22$$

$$y = 8x - 30$$

$$2 = -5(4) + 22?$$

$$2 = -20 + 22?$$

$$2 = 2 \star$$

$$2 = 8(4) - 30?$$

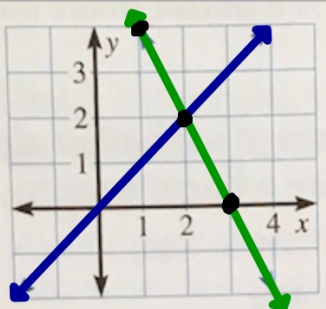
$$2 = 32 - 30?$$

$$2 = 2 \star$$

Yes

Use the graph to identify the linear equations, then identify the solution of the related linear system.

10.

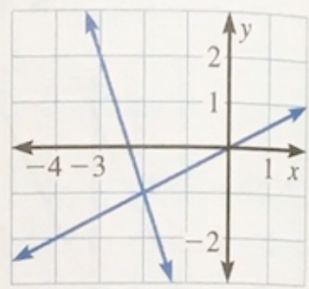


$(2, 2)$

$$y = x \quad y = -2x + 6$$

Use the graph to identify the solution of the related linear system.

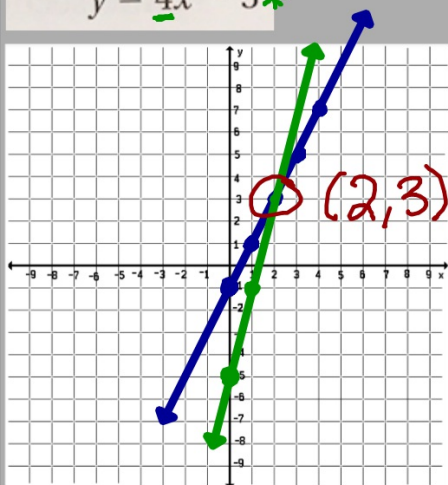
12.



$(-2, -1)$

Solve the linear system by graphing.

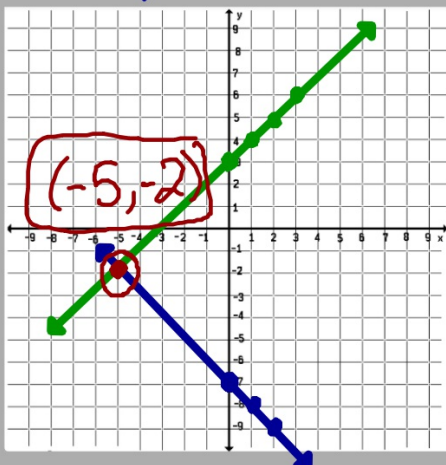
14.  $y = 2x - 1$  \*  
 $y = 4x - 5$  \*



18.  $x + y = -7$   
 $y = x + 3$

$$\begin{array}{r} x + y = -7 \\ -x \quad -x \\ \hline y = -x - 7 \end{array}$$

$$\begin{array}{r|l} x & y \\ -2 & -5 \\ 0 & -7 \\ 2 & -9 \end{array}$$

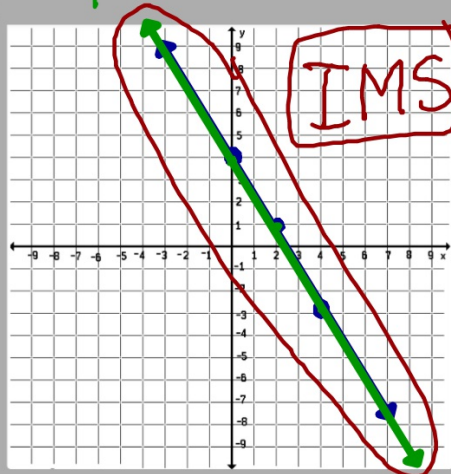


20.  $3x + 2y = 8$   
 $4y = 16 - 6x$

$$\begin{array}{r} 3x + 2y = 8 \\ -3x \quad -3x \\ \hline 2y = -3x + 8 \\ \frac{2y}{2} = \frac{-3x + 8}{2} \\ y = -\frac{3}{2}x + 4 \end{array}$$

$$\frac{4y}{4} = \frac{16 - 6x}{4}$$

$$y = -\frac{3}{2}x + 4$$



**22. Vacation Rentals** A business rents in-line skates and bicycles to tourists on vacation. A pair of skates rents for \$15 per day. A bicycle rents for \$20 per day. On a certain day, the owner of the business has 25 rentals and takes in \$450. Using the verbal model below, write and solve a system of equations to find the number of each item rented.

Pairs of skates	+	Number of bicycles	=	Total rentals
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Rent per pair of skates	·	Pairs of skates	+	Rent per bicycle	·	Number of bicycles	=	Total income
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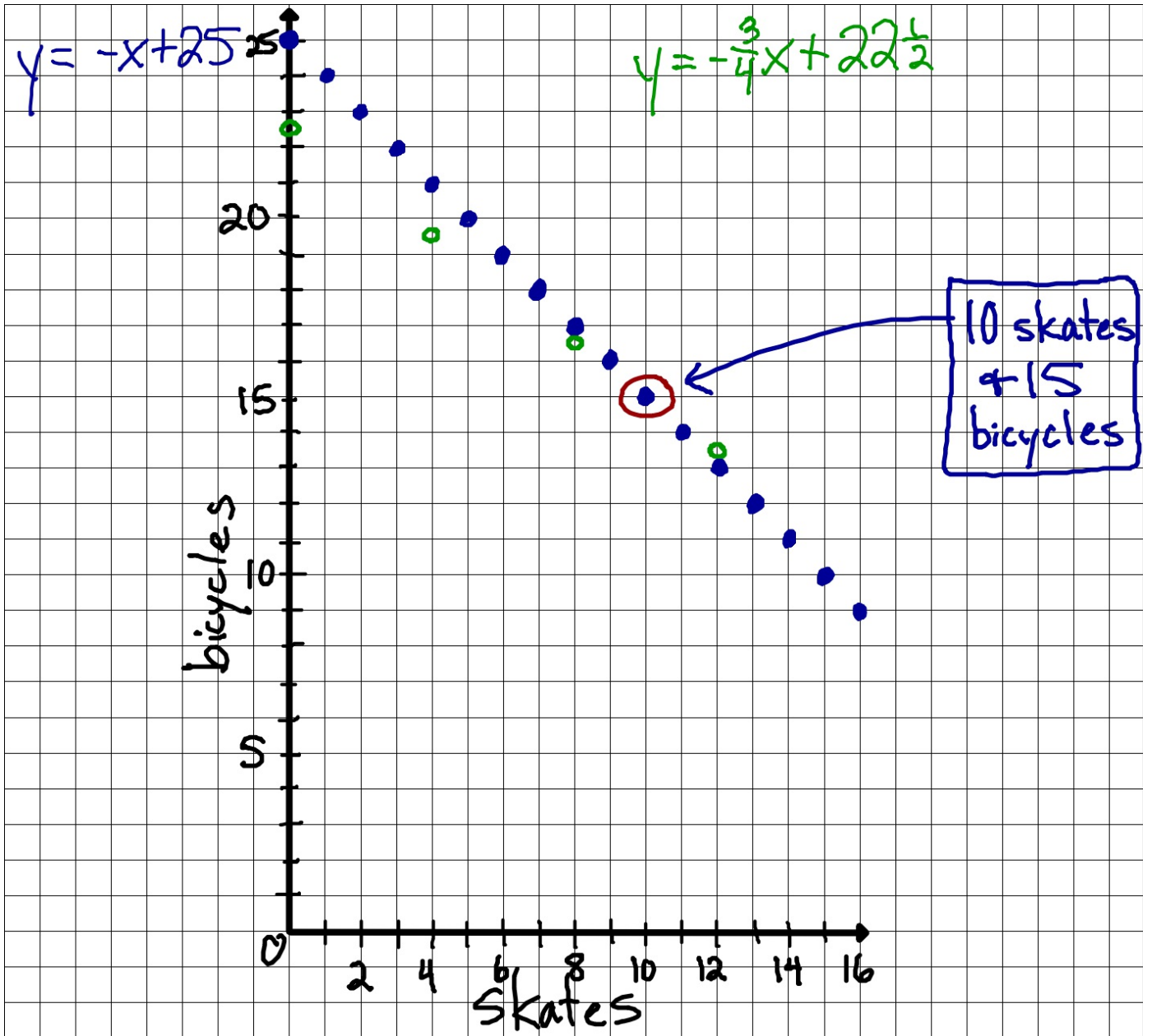
$$x + y = 25$$

$$y = -x + 25$$

$$15x + 20y = 450$$

$$\begin{array}{r} -15x \\ \hline 20y = -15x + 450 \\ \hline 20 \end{array}$$

$$y = -\frac{3}{4}x + 22\frac{1}{2}$$



$$x=10 + y=15?$$

$$y = -x + 25$$

$$15 = -(10) + 25?$$

$$15 = 15 \star$$

$$y = -\frac{3}{4}x + 22\frac{1}{2}$$

$$15 = -\frac{3}{4}(10) + 22\frac{1}{2}?$$

$$15 = -\frac{30}{4} + 22\frac{1}{2}?$$

$$15 = -7\frac{1}{2} + 22\frac{1}{2}?$$

$$15 = 15 \star$$

$(10, 15)$